I'll be your qubit

Interactive immersive installation where the viewer is introduced to the experience of the quantum world.

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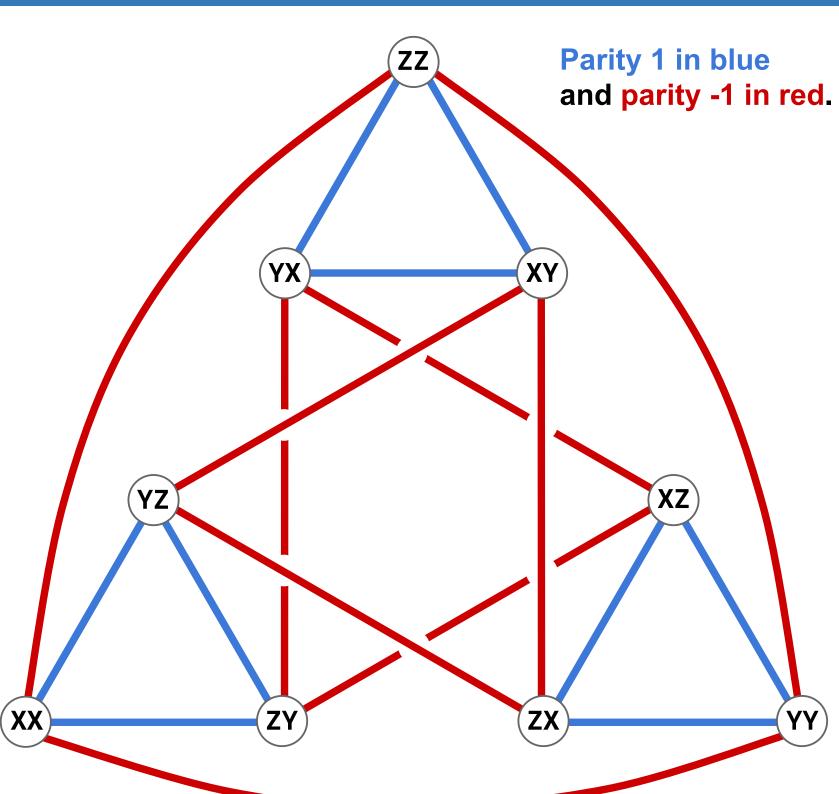
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Introduction

The behavior humanity has observed in quantum systems has confounded the everyday intuition of the human observers for more than a century now. Considerable effort has been spent on trying to reframe this weird behavior in terms of less "spooky", classical theories of "hidden variables". However, evidence from both experiments and purely mathematical constructs have shown that the only path free of contradictions is embracing that reality can only be quantum.

I'll be your qubit! provides for a personalized experience of the contradictions that quell any attempt to explain the rich quantum world in terms of noncontextual hidden variable theories. The installation's ceiling diagram is described on

The I'll be your qubit ceiling diagram



The ceiling diagram shows a graph representation of a subset of the Pauli group of two qubits. Each vertex is an operator. Edges connect operators that commute with each other, i.e. operators that are compatible observables. Each edge corresponds to a complete set of commuting observables. Moreover, there are 9 cycles of length 3, corresponding to sets of 3 compatible These observables. sets are overdetermined and have their total parity constrained. Cycles of parity 1 are depicted as blue while cycles of parity -1 are red. This diagram is a variation of the Mermin-Peres square, one of the

the right and below we describe richer resources that the interested might want to look up.

Kochen–Specker theorem

Measure the observables in the top cycle. Parity constraints are imposed on the third observable.

Observed value of 1 is in blue and -1 is in red.

Mermin-Peres magic square		
$+S_x\otimes I$	$+S_x\otimes S_x$	$+I\otimes S_x$
$-S_x\otimes S_z$	$+S_y\otimes S_y$	$-S_z\otimes S_x$
$+I\otimes S_z$	$+S_z\otimes S_z$	$+S_z\otimes I$

Each row and each column contains a mutually commuting set of observables with eigenvalues +1 and -1. The product of the observables in each row is the identity operator, and the product of observables in each column equates to minus the identity operator [2,4]. tools used to exemplify the infeasibility of hidden variable theories.

References

For more of Martha's work:

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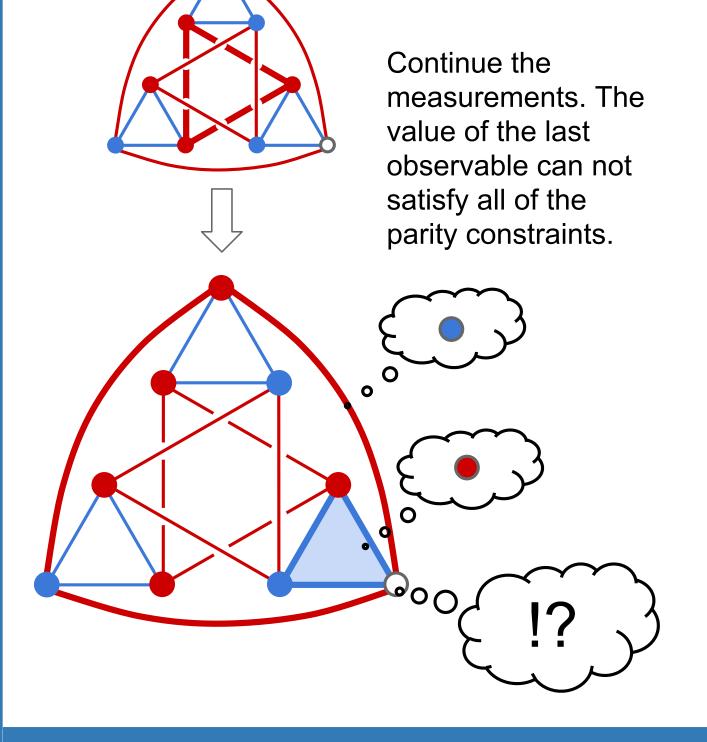
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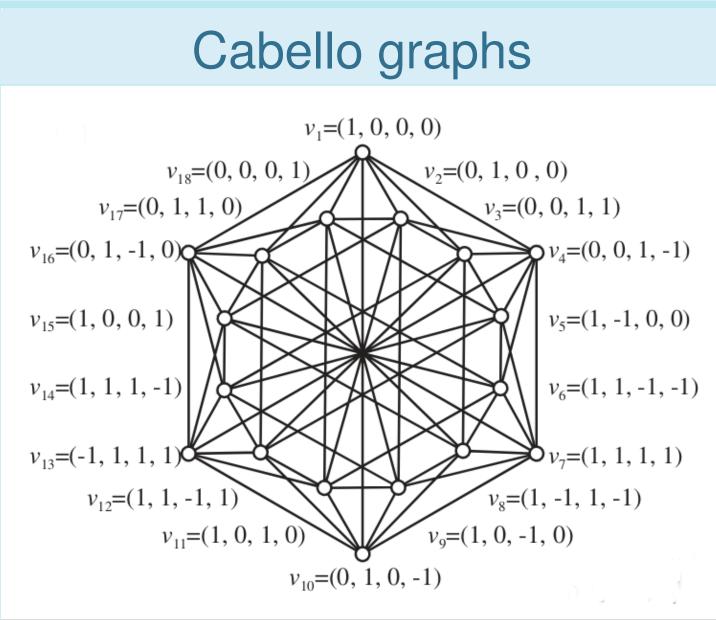
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Noncontextual hidden variable theories require that all hidden variables corresponding to observables have definite values, and that the values of those variables are independent of the measurement device. The two requirements are contradictory due to the non-commutativity of quantum mechanical observables [1-3]. The constructs on the right can be used in the proof.



To any correlation experiment, we can associate a graph in which events are represented by vertices and pairs of exclusive events are represented by adjacent vertice. This is one of the most powerful ways to prove the Kochen-Specker theorem and other non-contextuality inequalities like Bell's inequality [5,6]. This graph formalism is the inspiration for the simplified visualization in "I'll be your qubit!". (2014). Graph-theoretic approach to quantum correlations. Physical review letters, 112(4), 040401.

